Reasoning VISUAL REASONING Questions, Answers & Explanation

EXERCISE

DIRECTIONS (Qs. 1-3): Choose the figure which is different from the others. 1.



4. Group the following figures into three classes on the basic of identical properties.



- (a) 1, 3, 9; 2, 5, 8; 4, 6, 7
- (b) 4, 8, 9; 1, 2, 5; 3, 6, 7
- (c) 2, 5, 9; 1, 3, 8; 2, 6, 7

- (d) 1, 8, 9; 4, 6, 7; 2, 3, 5
- 5. How many triangles are there in the following figure?



6. How many triangles are there in the given figure?



- (a) 16
- (c) 8 (d) 127. How many triangles are there in the given figure?



(a) 29 (c) 40

(c) 40 (d) 358. How many squares are there in the given figure?



9. How many triangles are there in the given figure ABCDEF?



How many Parallelograms are there in the given 10. figure?



- (a) 14
- (c) 16
- (d) 18 How many cubes are there in the given figure? 11.



(a) 6	(b) 10
(c) 12	(d) 8





(a) 12 (c) 15





(d) 17

(a) 16 (c) 32

14.



How many triangles are there?

(a) 20	(b) 21
()	

(c) 26		(d) 28
1 -	 _	

15. How many Rectangles are there in the given figure?

(b) 28

(d) 38



(a) 13	(b) 14
(c) 15	(d) 17

16. How many Semicircles are there in the given figure?





- (d) 14 (c) 18
- How many circles are there in the adjoining 18. figure.



(a) 11 (c) 13

17.

(a) 22

- 19. What is the number of triangles in figure?







22. How many triangles are there in the give figure?



(a) 48 (d) 52 (c) 56

(a) 10 (c) 14

Find out the number of triangles in the given 23. figure.

A
(b) 15
(d) 17

(a) 13 (c) 16

ANSWER KEY											
1	(a)	5	(b)	9	(c)	13	(d)	17	(c)	21	(c)
2	(b)	6	(a)	10	(c)	14	(d)	18	(c)	22	(c)
3	(c)	7	(c)	11	(b)	15	(a)	19	(d)	22	(c)
4	(d)	8	(c)	12	(d)	16	(c)	20	(d)		

HINTS & EXPLANATIONS

- (a) All other figures can be rotated into each other. (In each figure except fig. (a) the middle element is obtained by rotating the outer element through 90° CW and the inner element is obtained by rotating the middle element through 90°CW).
- 2. (b)Each one of the figure except fig. (b), contains- one complete square, one cup-shaped element having side, one 'L'-shaped element having two sides and one straight line.
- 3. (c)In all other figures, the square has two line segments insides and one inside and one line segment outside.
- 4. (d)1, 8, 9 are figure bisected by a straight line.
 4, 6, 7 are figures having an extended arm.
 2, 3, 5 are figures intersected by a line.
 Thus the given figure containing nine figures may be divided into three pairs: (1, 8, 9), (4, 6, 7) and (2, 3, 5). Hence the answer is (d).
- 5.

(b)



The triangles are: ΔABC ; ΔADE ; ΔAFH ; ΔAIL ; ΔDFG ; ΔDIK ; ΔDBO ; ΔGDE ; ΔEGH ; ΔEJL ; ΔEMC ; ΔFIJ ; ΔFBN ; ΔJFG ; ΔGJK ; ΔKGH ; ΔHKL ; ΔHNC ; ΔNFH ; ΔGMO ; ΔIBM ; ΔMIJ ; ΔJMN ; ΔNJK ; ΔKNO , ΔOKL ; ΔLOC ;

6.

(a)



The triangles are; Δ AIH; Δ AIE; Δ EIB; Δ BFI; Δ IHC; Δ IGC; Δ IGD; Δ DFI;

Δ IAB; ΔIBD; ΔICD; ΔIAC; Δ BAC; ΔACD; ΔBDC; ΔBDA;

7.

(c)

(a)

8.



The simplest triangles are: $\Delta PNO; \Delta PNM; \Delta MPQ;$ Δ MQR; Δ AQP; Δ AQR; Δ BRA; Δ BRC; Δ SRC; Δ SCD; Δ SGR; Δ SGD; $\Delta DFG; \Delta DFE; \Delta TLM;$ $\Delta TJK; \Delta TLK; \Delta TIH;$ The triangles composed of two components are: $\Delta PON; \Delta PMA; \Delta APR;$ $\Delta RAM; \Delta RAC; \Delta RGC;$ $\Delta DGC; \Delta DGE; \Delta MPR;$ Δ GRD; Δ DGE; Δ TMK; ΔΤΚΙ; ΔΤΙG The triangles Composed of four components are: $\Delta AMO; \Delta AMC; \Delta CAG;$ $\Delta CGE; \Delta MKI; \Delta GIK;$ Other triangles are: Δ SPI; Δ DQK

Total number of triangles 18 + 14 + 6 + 2 = 40

в Р Н М Q L v W С D R K \mathbf{S} J F G Squares are:

ABCP, DEFG, HIJK, LMNO, HPDT, TDSK, PIWD, DWJS, LQDU, UDRO, QMVD, DVNR.

9. (c)



10. (c) We can label the figure as shown.



The simplest parallelogram are ABFE, BCGF, CDHG EFJI, FGKJ and GHLK. These are 6 in number.

The parallelograms composed of two components each, are ACGE, BDHF, EGKI, FHLJ, ABJI, BCKJ and

CDLK. Thus, there are 7 such parallelograms. The parallelogram composed of four components each are ACKI and BDLJ i.e. 2 in number. There is only one parallelogram composed of six components, namely, ADLI. Thus, there are 6 + 7 + 2 + 1 = 16 parallelograms in the figure.

11. (b) There are 10 cubes.

12. (d) We have three squares with vertical and horizontal sides. Each such square has $1^2 + 2^2 = 5$ squares in it.

Thus there are 15 such squares.

In addition, we have two obliquely placed squares. Hence total no. of squares = 17

13. (d) Each small square is bisected by its diagonals to give 4 triangles of half the size of the square and 4 triangles of l/4th the size of the square.

Thus there are $8 \times 4 = 32$ triangles in the four squares. Then there are six triangles as shown in the adjoining figure. Total no. of triangles=32 + 6 = 38

14. (d)



 Δ FDE, Δ ACD, Δ ABD, Δ FBD, Δ ABC, Δ BCD, Δ BKD, Δ BLD, Δ BJD, Δ JCD, Δ JKD, Δ LDJ, Δ LCD, Δ LKD, Δ HDC, Δ KDC, Δ EDC, Δ HKC, Δ EKC, Δ AEC, Δ EHC, Δ AEH, Δ AGH, Δ AIH, Δ AGI, Δ AFB, Δ AGF, Δ FBG. 15. (a) The rectangles are— ABKJ, BCDK, JLPI, LMNP, MDEN, IOGH, OEFG, ACDJ, JMNI, LDEP, JDEI, IERH, ACFH



16. (c) According to the figure there are 12 semicircles.



17. (c) The figure may be labelled as shown.



The squares composed of two components each are BJM1, CK.MJ, DLMK and AIML i.e. 4 in number.

The squares composed of three components each are EBMA, BFCM, MCGD and AMDH i.e. 4 in number. The squares composed of four components each are VWBA, XYCB, ZAIDC and BICIAD i .e. 4 in number. The squares composed of seven components each are NOJL, PQKI, RSLJ and TUIK i.e. 4 in number. There is only one square i.e. ABCD composed of eight components.

There is only one square i.e. EFGH composed of twelve components.

Total number of squares in the figure

= 4 + 4 + 4 + 4 + 1 + 1 = 18.

18. (c) The figure may be labelled as shown.



There are 13 circles in the given figure. This is clear from the adjoining figure in which the centres of all the circles in the given figure have been numbered from 1 to 13.

(d) With vertex no. 1 we have four triangles on one side of the diagonal and four triangles on the other side.



Thus front four vertices. We have in all $4 \times 8 = 32$ triangles.

Next consider square (5 - 6 - 7 - 8).

There are four triangles from each vertex.

Thus we have another $4 \times 4 = 16$ triangles.

Lastly, we have oblique triangles with vertex 9 such as (9-6-7), (9-2-3) and so on.

There are 8 such triangles.

Hence, total no. of triangles = 32 + 16 + 8 = 56



20. (d) Within the triangle with vertices 1, 2, 6, there are 4 + 3 + 2 + 1 = 10 triangles. In the triangle with vertices 1, 2, 14 there are 6 triangles.

In the triangle with vertices 1, 14, 15 there are 8 triangles.



This pattern is repeated for triangle 1, 6, 16 and for triangle 1, 15, 16.

In the triangle with vertices 1, 6, 14 there are 3 triangle and the pattern is repeated for the triangle with vertices 1, 2, 16.

In the parallelogram, there are 4 triangles each half the size, 4 triangles of quarter size and 6 triangles each made up of two small triangles.

Finally, there two triangles with vertices 1, 10, 12 and 1,

14, 16 respectively

Hence total no. of triangles.

 $= 10 + 2(6 + 8) + 2 \times 3 + (4 + 4 + 6) + 2 = 60$

21. (c)



There 14 triangles in the given figure. These are AHO, ACB, BHO, BAD, ABE, ABD, BAF, ABG, AOF, AFD, BOG, BGC, ADO and BOC.

22.



 $\Delta ABC, \Delta ADC, \Delta DBC, \Delta AEG, \Delta BFH$ $\Delta EIG, \Delta EID, \Delta IGJ, \Delta IDJ$ $\Delta DKJ, \Delta DFK, \Delta KJH, \Delta KFH \Delta EDG \Delta DJG \Delta EGJ, \Delta DJG$ $\Delta DFJ, \Delta FHJ, \Delta DHJ, \Delta DFH \Delta ADG \Delta DGH, \Delta DBH,$ $\Delta JEF \Delta GJC, \Delta HJC, \Delta GHC = 28$ Triangles $28 \times 2 = 56$ Triangles.

23. (c)



 $\Delta ABC, \Delta BDE, \Delta BCE, \Delta CEF, \Delta ADF, \Delta DGH, \Delta DEH, \Delta MHI, \Delta EMN, \Delta NKJ, \Delta FKE, \Delta EHK, \Delta AGL, \Delta FKL, \Delta CHL, \Delta BGK Number of Triangles = 16$